

SUMMARY OF COSMOLOGY FUNCTIONS OF MY BOOK AND PAPERS

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COSMOLOGY FUNCTIONS

$$m = (2\pi)^{1/6} e \frac{T^{2/3}}{\pi * c^{4/3}}$$

$$\pi * is equal = 3.1598 Cb^{3/2} Kelvin sec^2 Kg^{-3/2} m^2$$

$$\pi * is equal = \frac{h^{1/2} c^{1/2} G^{1/4}}{Ke^{3/4} kb}$$

Ke = 1/4πε0 : Coulomb constant , h: Plank constant , c: speed of light , e : electric charge of positron >0 , G: gravitation constant , kb: Boltzman constant , ε0: electrical vaccum constant.

For T=2.73Kelvin CMBR temperature , m = mass of positron >0

for m = m_{eg51.a} arises T = 2πT_{plank} temperature (the probmem of higher temperature fixed in an appropriate length , page 52 of book).

$$T = \frac{\pi * c^2}{e^{3/2} (2\pi)^{1/4}} m^{3/2} , \text{ For } m = m_{eg51.a} \text{ arises } T=2\pi T_{plank}$$

$$T_{plank} = 1,416 \times 10^{32} \text{ Kelvin}$$

$$m_{eg51.a} = \frac{e}{\sqrt{4\pi\epsilon_0 G}} = 4.66 \times 10^{-9} \text{ kg}$$

Surface emission of CMBR : $S = 64\pi^2 R^2$, units m²

FUNCTIONS OF GREAT OBJECTS OF SPACE , STARS AND BLACK HOLES

$$m = \frac{4\pi \sqrt{2\pi} e^2}{e \pi *^2 \left(\frac{10}{12}\right)^{-3}} T^2 lc^2 = 8.925 \times 10^{-4} T^2 R^2 , \text{ units : kg}$$

lc =R : radius of the star , m: mass of star , **T: temperature of core of star**

e : electric charge of positron >0 , ε0: electrical vaccum constant.

$$T = \sqrt{\frac{e \pi^*^2 \left(\frac{10}{12}\right)^{-3}}{4\pi \sqrt{2\pi} e \theta^2}} \frac{\sqrt{m}}{lc} = 33.47 \frac{\sqrt{M}}{R}, \text{ units : Kelvin}$$

T: temperature of core of star , M: mass of star , R=lc: radius of star

$$T = CR \frac{lc^{\frac{3}{2}}}{m^{\frac{3}{2}}}, \text{ units : second}$$

T : period rotation of star , lc = R : Radius of star , m : mass of star

$$CR = 4\pi \frac{\sqrt{8\pi^3 \cdot \varepsilon \theta}}{k5.1a} = 4\pi \sqrt{\frac{4\pi^3}{G}} = 8\pi \sqrt{\frac{\pi^3}{G}} = 1.713 \times 10^7 \text{ s m}^{-2/3} \text{ kg}^{1/2}$$

CR: constant of stellar's rotation , k5.1a = k_{5.1a}

$$k5.1a = \sqrt{2G\varepsilon\theta} = \sqrt{G/2\pi K_e} = 3.43745 \times 10^{-11} \text{ C/Kg}$$

$$E = (4\pi G k K_e) \rho_c m R, \text{ units: joule}$$

E: Rotation energy ,

k = k_{5.1a} , e0: electrical constant of vaccum , K_e = K_e : Coulomb constant ,
 ρ_c = ρ_c : density of mater of star , m : mass of star , R: radius of star

$$L = \frac{1}{2\pi G} \sqrt{\frac{2\pi}{k K_e \rho_c}}, \text{ units: Henry}$$

L: self conduction of star

G : gravitation constant , k = k_{5.1a} , K_e = K_e : Coulomb constant , ρ_c = ρ_c : density of mater of star

$$I = \sqrt{2 \frac{E}{L}}, \text{ units: Amper}$$

I : intensity of currents of star , E: energy rotation

$$B = \frac{E}{2\pi I R R_{\text{core}}}, \text{ units: Tesla}$$

B: intensity of magnetic field

For black holes $R = R_{\text{core}}$, R = radius of star , $R_{\text{core}} = R_{\text{core}}$: radius of core of star

$$B = \frac{E}{12\pi \frac{R^2}{n}}$$

$$n = \frac{R}{R_{\text{core}}}$$

m : mass of star or black hole , I : intensity of current , R = radius of star , R_{core} = radius of core of star , R_{core} : radius of core of star , for black holes $n=1$, for Sun $n=5$ and for Earth $n=2$

From that functions arise temperatures: Sgr A* black hole

($8.2 \times 10^{36} \text{ kg}$, $R = 1.1 \times 10^{10} \text{ m}$) the radiation is 0.75 MeV or 750 keV (by function that gives the temperature of core of stars) and 22.4 KeV or $2.7 \times 10^8 \text{ Kelvin}$ (by the function of temperature of core of stars , the Hawking-Bekenstein-Kerr function and Hawking radiation function)
Also magnetic field for Sagittarius (Sgr A*) Black hole is 200 Gauss ,(NASA , 2013)

END